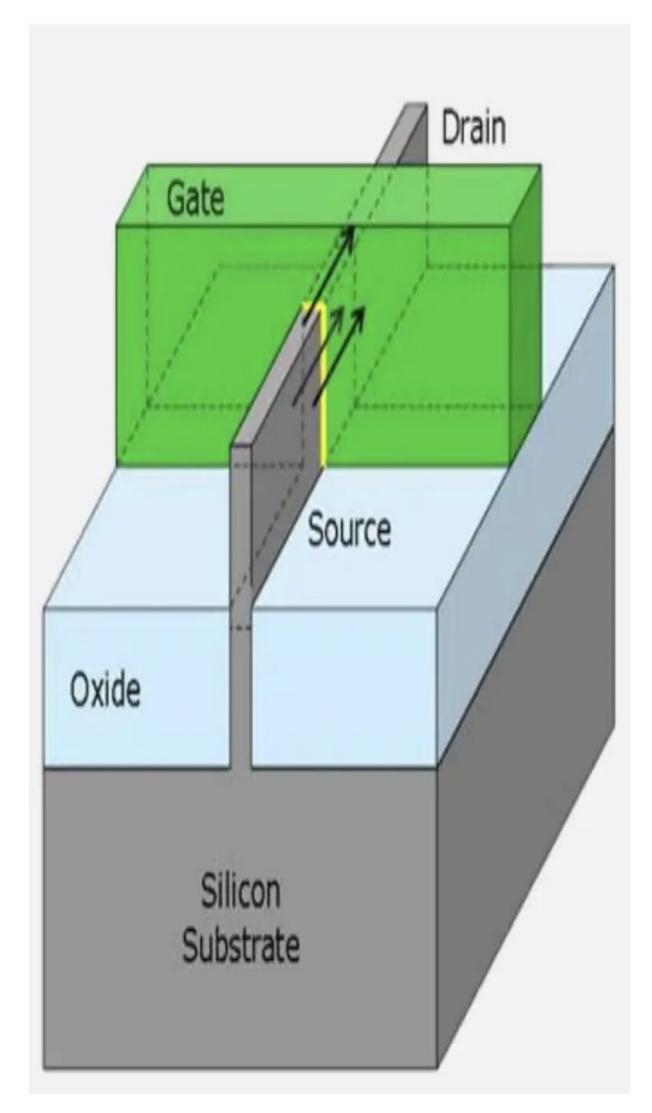
Abstract

Two-dimensional electrostatics and quantum size effects have become important features of modern short channel **MOSFET device design where the surface potential** becomes spatially dependent affecting the threshold voltage. Several nanometer channel lengths between Source and Drain cause quantum effects that need to be addressed in modern MOSFET design. We present a model of electron transport in the 2-D inversion layer, where (a) <u>electrostatic</u> and (b) <u>quantum</u> <u>size</u> effects are pointed out.



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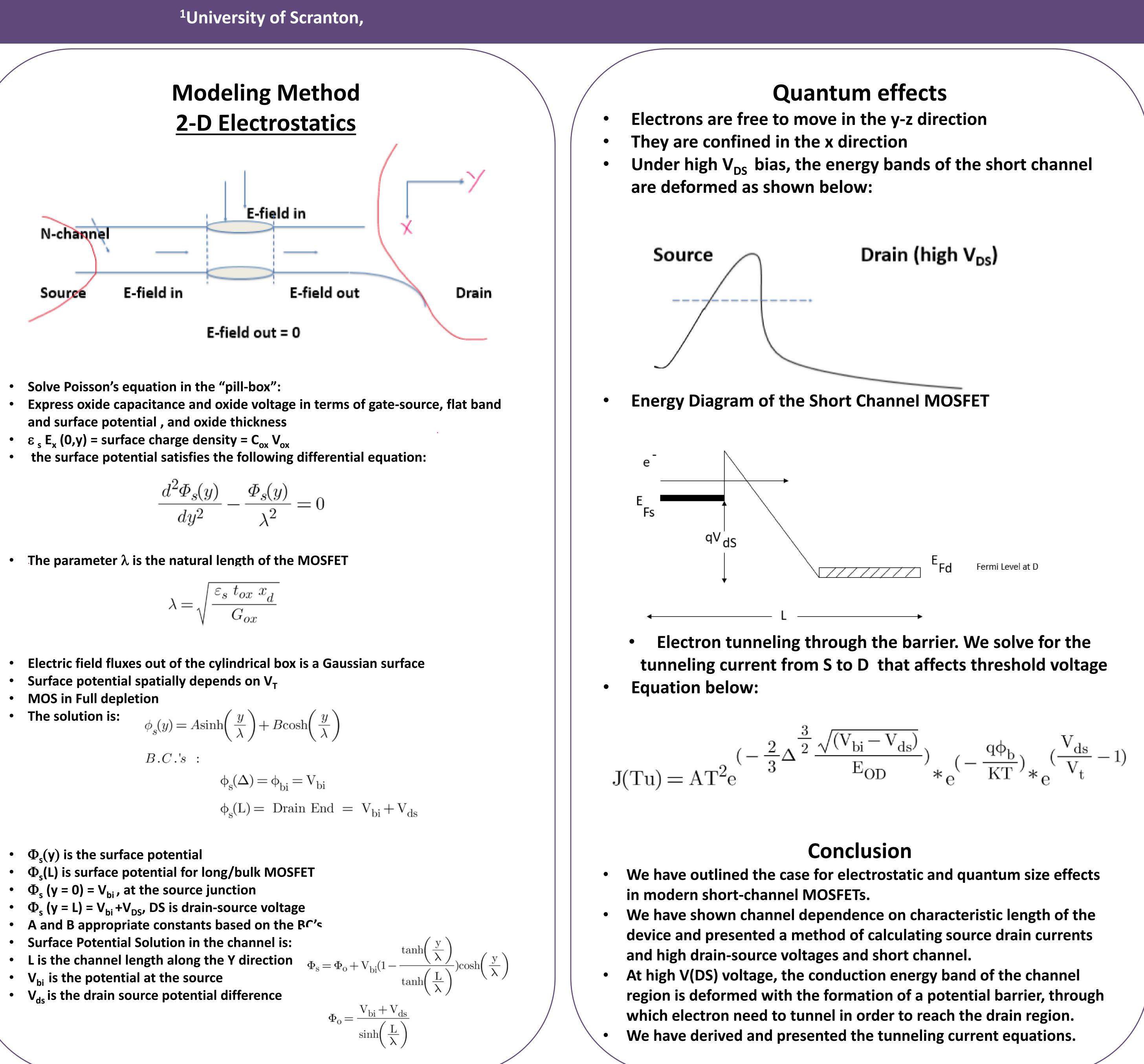
We solve Poisson's equation in the inversion layer (channel) surrounded by the gate-oxide above and the p-Si substrate below. The solution of Poisson's equation describes the surface potential variation in the horizontal space between source and drain. The horizontal spread of the potential is described by the *natural length* I which depends on (i) gate-oxide and the silicon depletion layer thickness and (ii) on silicon and oxide dielectric constants. As surface potential boundary conditions, we take the built-in voltage at the source and the voltage V_{ds} at the drain (distance L from the source). We discuss the conditions for short channel based on the explicit solution for the surface potential.

We solve Schrodinger's equation to count for source-to-drain tunneling for 5nm channel lengths. Electric field fluxes out from the drain to the channel and the depletion region underneath in the p-Si substrate. At 5nm, the electronic motion of the electrons in the channel becomes 2D. Electrons traversing the channel must **either** surmount such barriers or *tunnel* through it. We propose a tunneling model for such electrons and relate to device properties such as threshold voltage V_T

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Electrostatic and quantum size effects in short channel MOSFETs

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$$\frac{d^2 \Phi_s(y)}{dy^2} - \frac{\Phi_s(y)}{\lambda^2} =$$

$$\lambda = \sqrt{\frac{\varepsilon_s \ t_{ox} \ x_d}{G_{ox}}}$$

$$\phi_{s}(y) = A \sinh\left(\frac{y}{\lambda}\right) + B \cosh\left(\frac{y}{\lambda}\right) + B \cosh\left(\frac{y}{\lambda}\right) = B \cdot C \cdot s \quad :$$
$$\phi_{s}(\Delta) = \phi_{bi} = 0$$
$$\phi_{s}(L) = D rain$$

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